

# $^1\text{H}$ and $^{13}\text{C}$ NMR strategies dedicated to the analysis of diastereotyped *unlike* stereoisomers using weakly oriented chiral liquid crystals

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## Abstract

We describe several  $^1\text{H}$  and  $^{13}\text{C}$  NMR strategies dedicated to the analysis of diastereotyped stereoisomers with two rotatable stereogenic centers, using weakly oriented chiral liquid crystals. To this end, we propose various  $2\text{D}$  correlation experiments, denoted “ $1\text{D}(H)_1$ ” or “ $1\text{D}(H)_2$ ” (with  $i = 1, 2$ ), that involve two rotatable stereocenters of  $1\text{D}(H)_i$ -type, with one or two rotatable days. The analytical expressions of correlation signals for four pulse sequences were calculated using the product-operator formalism for  $S = 1/2$  and  $D = 1/2$ . The features and advantages of each sequence are presented and discussed. The efficiency of these  $2\text{D}$  sequences is illustrated using various diastereotyped molecules, dissolved in organic solutions of cholesteric liquid-crystal phase of cholesteric liquid-crystal phase (PBLG) or cholesteric liquid-crystal phase (PCB16) and NMR spectra simulation.

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## 1. Introduction

$^1\text{H}$  NMR spectroscopy of chiral cholesteric liquid crystals provides original solutions to organic chemists for analyzing relative stereochemistry of molecules, determining their absolute configuration of a mixture, or answering to specific analytical issues [1–4]. An intriguing stereochemical problem set by chemists, the analysis of a mixture made of diastereotyped *unlike* (*u/l*) compounds with two rotatable stereogenic centers of diastereotyped stereochemistry for each asymmetric center is particularly challenging [5]. For illustration, typical molecules of interest are shown in Fig. 1. In these examples, the *unlike* and *like* isomers correspond to

the axial conformation (*meso* form) and the equatorial (*RR/SS*), respectively.

For such mixtures, the discrimination of diastereoisomers (*u/l*) by isotopic NMR is not always possible, in particular when the stereogenic centers are far from each other [5]. Besides, the discrimination of diastereoisomers (*RR/SS*) is basically possible since the NMR solvent is generally achiral. Alternatively, the use of  $^1\text{H}$ - $\{^1\text{H}\}$  or  $^{13}\text{C}$ - $\{^1\text{H}\}$  NMR spectroscopy of chiral liquid crystals can afford efficient solutions to separate the signals of free stereoisomers mixtures, the axial isomer (*meso*) and two diastereoisomers (*RR/SS*), on the basis of quadrupolar splittings of chemical shift anisotropy (CSA) differences [2]. Indeed, the oriented chiral solvent allows to orient diastereotyped average *u/l* diastereoisomers as well as diastereoisomers of the mixture.

For mixtures 1 or 2, four distinct quadrupolar doublets are expected to be observed on  $^1\text{H}$ - $\{^1\text{H}\}$  spectra, assuming

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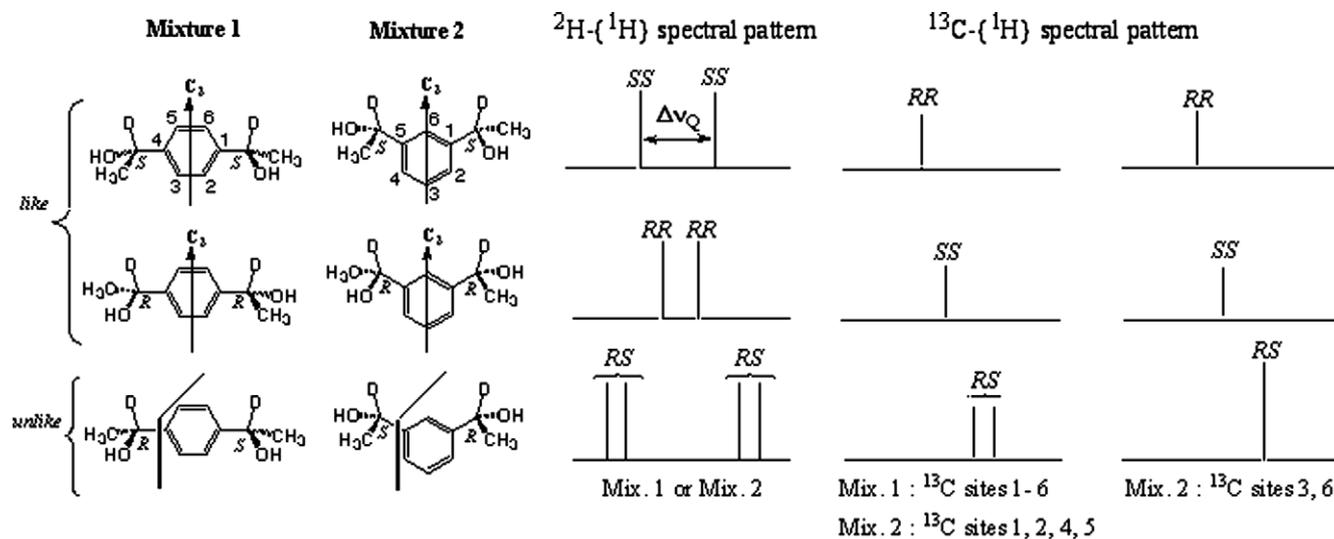


Fig. 1. Structural  $^2\text{H}\{-^1\text{H}\}$  and  $^{13}\text{C}\{-^1\text{H}\}$  NMR spectral patterns expected to be observed for various isomers in mixtures 1 and 2 dissolved in a chiral solvent. The chemical structures are shown as well as the  $^{13}\text{C}$  sites and the two deuteriums associated to each carbon. The chemical shift difference  $\Delta\nu_Q$  is indicated. The  $^{13}\text{C}\{-^1\text{H}\}$  NMR spectral patterns are expected to be observed for each isomer in mixtures 1 and 2. The chemical structures are shown as well as the  $^{13}\text{C}$  sites and the two deuteriums associated to each carbon. The chemical shift difference  $\Delta\nu_Q$  is indicated. The  $^{13}\text{C}\{-^1\text{H}\}$  NMR spectral patterns are expected to be observed for each isomer in mixtures 1 and 2.

at diastereoisomers and diastereoisomers are discriminated by the chiral liquid crystals and spectral selection as a function of the angle to the  $C_2$  axis. The two deuteriums associated to each carbon are chemically equivalent. The magnitude of  $\Delta\nu_Q$  as well as the position of  $^{13}\text{C}$  sites are as a function of the  $^1\text{H}$  chemical shift in isotopy. All  $^1\text{H}$  quadrupolar doublets are centered at the same chemical shift. The  $^{13}\text{C}\{-^1\text{H}\}$  NMR spectral patterns associated to asymmetric diastereoisomers (for mixtures 1 and 2) are the only one identical to that expected for carbon sites 1–6 in mixture 1. However, generally the  $^{13}\text{C}$  chemical shift in isotopy of substituted carbon sites is not affected by the chiral  $^2\text{H}$  substituted carbon, and therefore all spectral selection of the  $^1\text{H}$  isomers are expected for these sites.

For the  $^{13}\text{C}\{-^1\text{H}\}$  NMR point of view, the mixtures 1 and 2 must be considered separately. For mixture 1, four  $^{13}\text{C}$  resonances are expected to be observed for each of the equivalent carbon site in the free stereoisomers and spectrally discriminated on the basis of  $^{13}\text{C}$  chemical shift in isotopy differences (CSA) (see Fig. 1) [3]. This occurrence will be also be considered for mixture 2, except for the  $^{13}\text{C}$  sites labeled 3 and 6 for which only free distinct resonances are expected to be detected. In all signals are well resolved (see Fig. 1). Indeed, the meso carbon-13 sites belong to the symmetric plane in the meso molecule, and therefore they cannot be discriminated.

For an analytical point of view, the spectral discrimination of stereoisomers based on  $\Delta\nu_Q$  is generally more efficient than based on  $^{13}\text{C}$  CSA [2,3]. Consequently, the central question arises: how to analyze and assign quadrupolar doublets belonging to *all* diastereoisomers, in particular with the diastereoisomeric and diastereoisomeric excesses are both equal to 0%. Indeed in this particular case, four quadrupolar doublets of identical intensity should be theoretically observed, and so their assignment is not straightforward.

The solution for solving this problem is not unique as we will see below, and various other methods of 2D NMR approaches will be presented in this methodological article, along with their evaluation on test molecules. As

seen from the calculated traces efficiency, the most appropriate strategies will mainly depend on the structure of the molecules under investigation and of their isotatization. The actual possibility to generate heteronuclear polarization transfer to ease the useful NMR detection is proved in every system-dependent. The initial goal could not be fully reached for mixtures 1 and 2, but the steady development of new  $^2\text{H}$  resolved chiral liquid crystals could help solving this issue.

## 2. Results and discussion

### 2.1. Overview of possible 2D NMR strategies

Considering the structure of molecules involved in mixtures 1 and 2, several possible 2D NMR strategies can be proposed to facilitate the assignment of the quadrupolar doublets for meso and diastereoisomeric carbon sites, and subsequently to ease the diastereoisomeric excess with the following two major diastereoisomers.

The general principle of these  $^2\text{H}$  assignment strategies is based on the fact that only the meso carbon site possesses two deuteriums that can be potentially correlated. Three possibilities can be proposed: (i) the use of  $^2\text{H}\{-^2\text{H}\}$  correlations through direct dipolar couplings (see Fig. 2a), (ii) the  $^2\text{H}\{-^2\text{H}\}$  correlations via multiple polarization transfer involving heteronuclear atoms ( $^1\text{H}$  or  $^{13}\text{C}$ ) as relays (see Fig. 2b–f), (iii) the use of  $^2\text{H}\{-^{13}\text{C}\}$  correlations if a specific spectral anisotropy exists, that can be exploited in  $^{13}\text{C}$  NMR (see Fig. 2g and d).

The simplest approach is based on the correlation of quadrupolar doublets through the existence of  $^2\text{H}\{-^2\text{H}\}$  total couplings in the various isomers. This strategy using  $^2\text{H}\{-^2\text{H}\}$

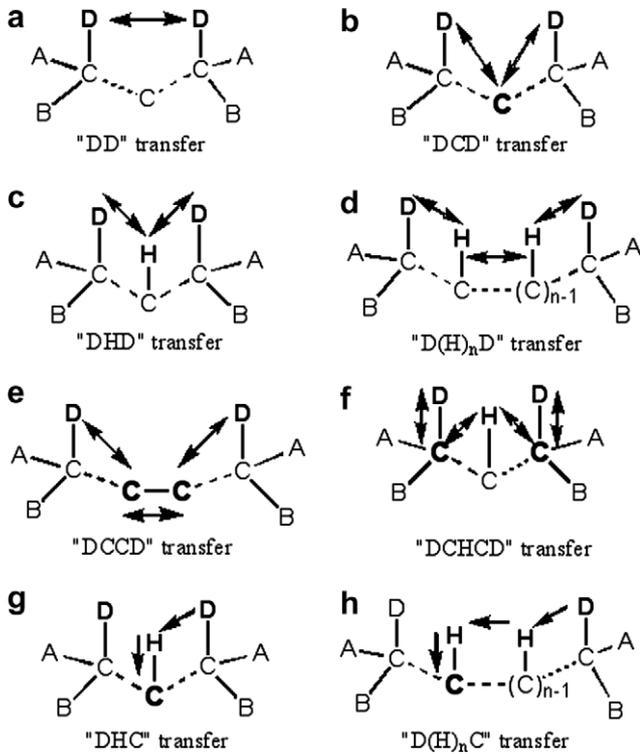


Fig. 2. Examples of (a–f) the one- and (g and h) the two-deuterium NMR strategies to analyze the isotopes 1 and 2, and the following are, two or four deuterium atoms (s) as delays.

COSY 2D experiments was successfully applied to analyze and assess diastereoisomeric and diastereoisomeric  $u/v$  isomers with stereoisomers possessed a “C<sub>12</sub>” group [8,9]. Unfortunately, for the deuterium (as in the case of isotopes 1 and 2), the scalar coupling is small while the magnitude of  $^1\text{H}$ – $^2\text{H}$  dipolar coupling is predicted to be too small when weakly oriented in liquid crystals, as organic solutions of polyoxetanes is used. Chiral diastereoisomeric polyoxetanes could be suggested to ease the solute ordering and so produce larger dipolar couplings. However, the existing polyoxetanes show generally all the diastereoisomers and are all in bad organic solvents [10]. Other deuterium strategies involving either  $^1\text{H}$ – $^{13}\text{C}$  or  $^1\text{H}$ – $^2\text{H}$  magnetization transfers can be employed, as shown in Fig. 2. The strategies b and d can be employed to analyze isomer 2 while the strategies e and f are adapted to analyze isomer 1. Note however that strategies e and f are very difficult to apply in the case of the  $^{13}\text{C}$ -enriched compounds due to the low probability to find isotopomers with two  $^{13}\text{C}$  nuclei. Finally, in the case of isomer 2, the deuterium strategies, g and h, involving one or two isotopomer delays can be valuable to correlate the deuterium to carbon site 6 (eventually site 3) in at best to the  $^1\text{H}$  and/or deuterium signals.

2.2. The “DCD” correlation experiments

Recently, we have described the ECAI-ENCY 2D experiments to correlate the  $^1\text{H}$  signals of two geminal deu-

terium sites in odd-numbered molecules [11]. The two kinds of magnetization transfers using either a EPT- or INEPT-type sequences were explored [12,13]. In Fig. 3a is shown the ECAI-ENCY-INEPT 2D sequence.

After a four-step base cycle and disregarding all relaxation times and base factors, the expression of correlation peaks (C<sub>s</sub>) is

$$S_{C_s}(t_1, t_2) \propto \frac{2}{3} \times \left\{ \sin [2\pi\nu_{ij}(t_1 + \tau)] \times \cos [\pi\Delta\nu_{Qij}(t_1 + \tau)] \right\} \times f_{\text{corr}}(\tau, \tau') \times \left\{ e^{i[2\pi\nu_{ij}(\tau+t_2) - \pi\Delta\nu_{Qij}(\tau+t_2)]} + e^{i[2\pi\nu_{ij}(\tau+t_2) + \pi\Delta\nu_{Qij}(\tau+t_2)]} \right\} \quad (1)$$

where  $f_{\text{corr}}(\tau, \tau')$  is the transfer function governing the amplitude of correlation peaks in the 2D plane [14]. For the “1, C<sub>12</sub>” pulse sequence,  $f_{\text{corr}}(\tau, \tau')$  is:

$$f_{\text{corr}}(\tau, \tau') = \left\{ \begin{array}{l} \sin [\pi T_{C_{ij}}(\tau)] \times \sin [2\pi T_{C_{ij}}(\tau')] \\ \times \sin [2\pi T_{C_{ji}}(\tau')] \times \sin [\pi T_{C_{ji}}(\tau)] \end{array} \right\} \quad (2)$$

In these equations,  $\nu_{ij}$  and  $\Delta\nu_{Qij}$  are the frequency of sets and quadrupolar splittings of  $i$  and  $j$  deuterium sites, respectively, while  $T_{C_{ij}}$  is the  $^{13}\text{C}$  total coupling ( $T_{C_{ij}} = J_{C_{ij}} + 2D_{C_{ij}}$ ). Note that Eqs. (1) and (2) were calculated with the help of product operators for all  $I = 1$  and  $S = 1/2$  that was employed recently [11]. In all the deuterium  $^1\text{H}$ – $^2\text{H}$  correlation experiments, diagonal peaks (D<sub>s</sub>) and autocorrelation peaks (A<sub>s</sub>) are also essential in the 2D plane (for illustration, see Fig. 4a) but only the equations of C<sub>s</sub>, that contain the useful information, will be given in this work.

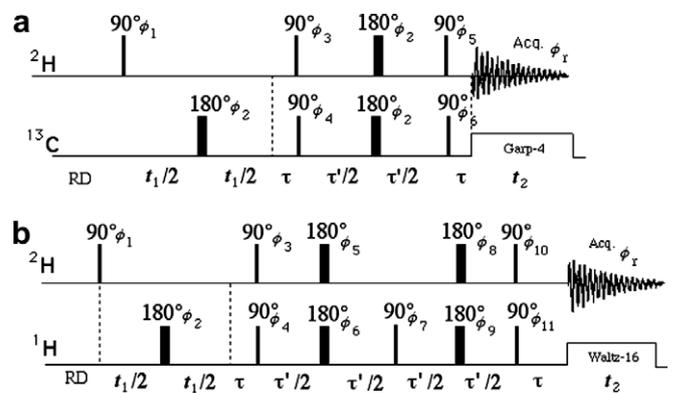


Fig. 3. (a) Pulse sequence of the ECAI-ENCY 2D sequence. The basic four-step base cycle is:  $\phi_1 = 2(x), 2(-x); \phi_2 = \phi_3 = \phi_5 = \phi_6 = 4(x); \phi_4 = 2(x, -x); \phi_7 = x, -x, -x, x$ . GARP-4 sequence suppresses  $^{13}\text{C}$  couplings during the acquisition period. With a coupled  $^1\text{H}$  nuclei are decoupled by applying the WALTZ-16 pulse sequence over the sequence. (b) Pulse sequence of the “WALTZ-16” 2D sequence. The basic four-step base cycle is:  $\phi_1 = 2(x), 2(-x); \phi_2, \phi_3, \phi_5$  to  $\phi_{11} = 4(x); \phi_4 = 2(x, -x); \phi_7 = x, -x, -x, x$ . To correlate sites using reflections, the base cycle can be extended to eight steps with  $\phi_{10} = 4(x), 4(-x)$  and  $\phi_8 = x, -x, -x, x, -x, x, x, -x$ , which is often used, the four-step base cycle is repeated twice.

Eq. (2) shows that the density of CPs ( $I_{CP}$ ) varies with delay  $\tau$  and  $\tau'$ . In the ideal case, where  $|T_{C_1}| = |T_{C_2}| = |T_{C_3}|$ , and disregarding relaxation effects,  $I_{CP}$  is maximized with  $\tau = 1/2(|T_{C_1}|)$  and  $\tau' = 1/(4|T_{C_1}|)$  [11]. Actually, the ideal case where  $|T_{C_1}| = |T_{C_2}|$  (for a “ $^1C-^1C$ ” system) does not exist, but generally a good compromise is obtained by averaging the  $T_{C_i}$  values.

This sequence was successfully tested in the case of geminal deuteriums to analyze the isotopic  $^1H-^1H$  spectra of a mixture of two deuterated formal compounds [11]. Assuming that the  $^3T_{C_i}$  coupling is not null, such an approach seems well-adapted for analyzing mixture 2, because the carbon atom labeled 6 (see Fig. 1) could play the same role as the  $^{13}C$  atom in the  $Cl_2$  group. Unfortunately, no free-bond  $C-^1H$  total coupling was observed in the various deuterated isomers of mixture 2, mainly due to the long distance between  $^{13}C$  and  $^1H$  sites and the weak alignment of solutes polyethylene mesophases.

2.3. The “DHD” correlation experiments

An alternative to the “ $^1C_1$ ” experiments consists in using experiments with a “ $^1H_1$ ”-type traces where the carbon delay is replaced by a proton delay. In this new scheme, the  $^1H$  magnetization is transferred via an allylic abundance (99.985%) to us to establish the basic sensitivity of the experiments. In addition, we benefit from an abundance with an agnetogyrication of the largest in the case of carbon. Hence, in the particular case of mixture 2, we can a priori expect larger dipolar couplings between deuteriums and  $^1H$  than between deuteriums and  $^{13}C$ .

The “ $^1H_1$ ” pulse sequence is identical to the ECA-1, ENCY-1, ENCY-2 scheme but the proton nucleus plays the role of the  $^{13}C$  nucleus. Nevertheless, for the polarization transfer point of view, the situation can be considered as if the “ $^1C_1$ ” traces as proton (s) delay and the single quantum coherences (SQCs) can be also coupled with other surrounding protons to be detected. This occurrence does not exist for the “ $^1C_1$ ” traces due to the low abundance of isotopes with two  $^{13}C$  nuclei.

After a four-step phase cycle and disregarding relaxation times, the expression of CPs for the “ $^1H_1$ ” sequence is formally identical to Eq. (1), but the traces function can differ according to the  $^1H-^1H$  couplings, atoms. For a spin system “ $^1H_1(^1H_1)-^1H_1$ ” where the  $^1H_1$  are coupled to equivalent protons,  $^1H_1$ , weakly coupled to  $^1H_1$  solves to several protons,  $^1H_1$  (equivalent or not),  $f_{CP}$  is equal to:

$$f_{CP}(\tau, \tau') = 2 \times \left\{ \begin{array}{l} \sin[\pi T_{1H_1} \tau] \cos^{-1}[\pi T_{1H_1} \tau] \\ \times \sin[2\pi T_{1H_1} \tau'] \sin[2\pi T_{1H_1} \tau] \\ \times \cos^{-1}[3\pi D_{1H_1} \tau'] \left\{ \prod_i \cos[\pi T_{1H_1} \tau'] \right\} \\ \times \sin[\pi T_{1H_1} \tau] \cos^{-1}[\pi T_{1H_1} \tau] \end{array} \right\} \quad (3)$$

The choice of the  $\tau$  delay is also given by  $f_{CP}$  depends both on the  $T_{1H_1}$  values and the number of protons which contribute to the delay. In the ideal case where  $|T_{1H_1}| = |T_{1H_2}| = |T_{1H_3}|$ , the maximum is reached during  $\tau$  delay occurs with  $\tau = 1/2T_{1H_1}$ ,  $1/4T_{1H_1}$  and  $0.196/|T_{1H_1}|$  for a  $^1H_1$ ,  $^1H_2$ ,  $^1H_3$  (in proton as equivalent), and a  $^1H_1$   $^1H_2$  group, respectively [15]. The choice of  $\tau'$  is less trivial due to its dependence on the agitude of (i)  $^1H_1-^1H_1$  total couplings, (ii)  $^1H_1-^1H_1$  total couplings in the proton (s) participating to the delay is (are) also coupled with other equivalent protons, (iii) the  $^1H_1-^1H_1$  dipolar coupling between the equivalent protons involved in the delay. In the simple, ideal case where  $|T_{1H_1}| = |T_{1H_2}| = |T_{1H_3}|$  and  $|D_{1H_1}| = |D_{1H_2}| = 0$ , the we have  $\tau' = 1/4T_{1H_1}$ . As for the “ $^1C_1$ ” experiments, the average of  $|T_{1H_1}|$  provides a suitable value for experiments mainly on the polarization traces.

Although the relaxation times were not shown in Eq. (3), the efficiency of  $f_{CP}$  is not dependent of  $T_2$  relaxation effect [14]. Thus in the general case, we can show that

Fig. 4. Experimental 92.1 MHz “ $^1H_1$ ” 2D spectra of 3 (a) and 4 (b) dissolved in  $CDCl_3$  phase at 300 K. The 2D matrix is 256 ( $t_1$ )  $\times$  1538 ( $t_2$ ) data points, with NS = 32 (a) and 512 ( $t_1$ )  $\times$  2048 ( $t_2$ ) data points, with NS = 8 (b). Experimental F2 and F1 dimensions is applied to both experiments. On the 2D spectra (a), the diagonal peaks ( $D$ ), autocorrelation peaks ( $A$ ) and cross-correlation peaks ( $C$ ) associated with the  $^1H_2$  and  $^1H_3$  deuteriums are labeled.

$f_{\text{conv}}(\tau, \tau')$  depends on the exponential terms  $\exp(-\tau/T_2^i)$ ,  $\exp(-\tau'/T_2^j)$ ,  $\exp(-\tau/T_2^k)$ . A priori, the choice of  $\tau$  and  $\tau'$  depends on the  $T_2$  values of deuterons and protons, respectively. In practice, as  $T_2 \approx |1/T_{1H}|$ , the  $\tau$  delay must be selected compared to the ideal value in order to minimize losses due to the  $T_2$  relaxation. In contrast, as generally  $T_2^H \geq |1/T_{1H}|$ , the optimal  $\tau'$  value can be chosen independently of the  $T_2^H$  value.

To experimentally test this sequence, we chose two model molecules, the 2,4,6-trideuterated-3-ethylthio (3) and 2,4,6-trideuterated-4-ethylthio (4) dissolved in mesitylene- $d_6$  ( $\text{CDCl}_3$ - $d_2$ ),  $\text{CDCl}_3$ - $d_2$  ( $\text{CDCl}_3$ - $d_2$ ) and  $\text{CDCl}_3$  (see Table 1). These aligned solutes (see Fig. 4) are tested through theoretical and experimental observations. First, the couplings between deuterons are usually too small and cannot generate direct correlations that could be easily interpreted as correlations due to the “ $1H-1H$ ” transitions. Second, the heteronuclear  $1H-1H$  total couplings over four bonds are small (3 and 4, thus the intensity of the terms in  $f_{\text{conv}}$ ). Third, these solutes allow testing the “ $1H-1H$ ” transitions via direct transitions in the system. Thus, using compound 3, the “ $1H-1H$ ” transitions can be identified through either a single proton,  $H^5$  (coupled to the ethyl group, protons,  $H^7$ ) or the free equivalent protons of ethyl group, (coupled to the proton  $H^5$ ). For 4, we can consider a “ $1H-1H$ ” transition using a single proton, that can be a vicinally involved either in an  $A_2$  or  $AA'$  spin system. These direct transitions in the system affect the efficiency of the transition function,  $f_{\text{conv}}(\tau, \tau')$ .

For 3, and assuming that  ${}^5T_{H^5H^7}$  is null, the transition function between  $I^4$  and  $I^6$  is similar to Eq. (3), except that carbon substituents are replaced by the proton substituents. In contrast,  $H^5$  and  $H^7$  are weakly coupled, we see the presence of an  $AX_3$  proton spin system, and a new term depending on the  ${}^5T_{H^5H^7}$  coupling appears in  $f_{\text{conv}}(\tau, \tau')$ :

$$f_{\text{conv}}(\tau, \tau') = \left\{ \begin{array}{l} \sin[\pi^3 T_{1,4,6,5} \tau] \\ \times \sin[2\pi^3 T_{1,4,6,5} \tau'] \sin[2\pi^3 T_{1,4,6,5} \tau'] \\ \times \cos^3[\pi^5 T_{H^5H^7} \tau'] \\ \times \sin[\pi^3 T_{1,4,6,5} \tau] \end{array} \right\} \quad (4)$$

Table 1  
Labeling and composition of the liquid-crystalline samples used in the present work

Solute	Solute (g)	$\text{PBrG}^a$ (g)	$\text{PCBr}^b$ (g)	$\text{CDCl}_3$ (g)	% of solute (wt)
1	17	130	0	413	23.2
2	21	0	100	451	17.5
3	11	101	0	404	19.5
3	12	0	99	470	17.0
4	10	100	0	424	18.8
5 <sup>c</sup>	75	101	0	454	15.9

<sup>a</sup> The  $I^4$  of  $\text{PBrG}$  is 782.

<sup>b</sup> The  $I^4$  of  $\text{PCBr}$  is 778.

<sup>c</sup> The ee is over 95%.

Experimentally, the values of  $I^4$  and  $I^5$  are not coupled to each other, thus even though the possibility to correlate  $I^4$  to  $I^6$  through  $H^5$ .

In compound 3, a second type of transition is possible through the free equivalent protons of ethyl group,  $H^7$ . Assuming that the total coupling  ${}^5T_{H^5H^7}$  is null, the transition function between  $I^2$  and  $I^4$  is now governed by the following equation:

$$f_{\text{conv}}(\tau, \tau') = 9 \times \left\{ \begin{array}{l} \sin[\pi^4 T_{1,2,4,7} \tau] \cos^2[\pi^4 T_{1,2,4,7} \tau'] \\ \times \sin[2\pi^4 T_{1,2,4,7} \tau'] \sin[2\pi^4 T_{1,2,4,7} \tau'] \\ \times \cos^2[3\pi^2 D_{H^5H^7} \tau'] \cos[\pi^5 T_{H^5H^7} \tau'] \\ \times \sin[\pi^4 T_{1,2,4,7} \tau] \cos^2[\pi^4 T_{1,2,4,7} \tau] \end{array} \right\} \quad (5)$$

Note that the  $\cos[\pi^5 T_{H^5H^7} \tau']$  term becomes equal to 1 when  ${}^5T_{H^5H^7} = 0$ .

Fig. 4a shows the “ $1H-1H$ ” 2D map of 3 with the polarization transfer involves protons of the ethyl group. We have experimentally observed the existence of the heteronuclear coupling between the ethyl protons and  $H^5$ , and the  $f_{\text{conv}}(\tau, \tau')$  is given by Eq. (5). The ideal values of  $\tau$  should correspond to  $0.196/|{}^4T_{1,2,4,7}|$ , assuming that the  $|{}^4T_{1,2,4,7}| = |{}^4T_{1,4,7}| = |{}^4T_{1,2,4,7}|$ . In practice, the optimal value of  $\tau$  is found to be equal to 19.87 s, thus corresponding to a good balance between the dephasing due to the  $T_{1H}$  couplings ( $\approx 8.5\text{ Hz}$ ) and the  $T_2$  relaxation times of  $I^6$  and  $I^4$  ( $\approx 577$  s). On the other hand, the  $\tau'$  optimal value ( $\tau' = 35.47$  s) is determined by taking into account the  $H^5H^7$  total coupling (7 Hz) and the  $H^7H^7$  di-axial coupling (8 Hz). As expected, the 2D map, CPs arise only between  $I^2$  and  $I^4$  (see Fig. 4a) while the  $I^2$ s and  $A$ s are observed for all deuterons, including also  $I^6$  due to the coupling between  $I^6$  and  $H^5$ . The detection of the intensity of  $I^2$ s and  $A$ s for  $I^2$  and  $I^4$  results from the choice of both  $\tau$  and  $\tau'$  values [11].

As compound 4 is a  $C_{2v}$  system, the  $H^5$  and  $H^7$  protons belong either to an  $AA'$  or to an  $A_2$  spin system depending on  $H^5$  and  $H^7$  are coupled or not. Due to the second order nature of an  $AA'$  spin system, the analytical expression of  $f_{\text{conv}}(\tau, \tau')$  is very complex to calculate, and was not established. Experimentally, the analysis of both  $H^5$ - $\{H^7\}$  and  $H^7$ - $\{H^5\}$  spectra indicates that the proton

is an  $A_2$  spin system with two  $H-H$  diatomic coupling. Hence, in this case,  $f_{corr}(\tau, \tau')$  is equal to:

$$f_{corr}(\tau, \tau') = 2 \times \left\{ \begin{array}{l} \sin[\pi^3 T_{1,44,3.5} \tau] \cos[\pi^3 T_{1,44,3.5} \tau'] \\ \times \sin[2\pi^3 T_{1,44,3.5} \tau'] \sin[2\pi^3 T_{1,2,44,3.5} \tau'] \\ \times \sin[\pi^3 T_{1,2,44,3.5} \tau] \end{array} \right\} \quad (6)$$

Fig. 4b shows the “ $1_H 1_L$ ” 2D spectra of 4 weak to moderate correlations between  $I^2(I^0)$  and  $I^4$  were successfully observed. In this second example, the optimal values of  $\tau$  and  $\tau'$  were found to be equal to 15.2 and 17.4 s. As previously, the dependence of the density of spots and Aps results from the choice of  $\tau$  and  $\tau'$  values.

2.4. The “DHHD” correlation experiments

The “ $1_H 1_L$ ” 2D sequence is a variation of the “ $1_H 1_L$ ” 2D pulse sequence with a  $90^\circ$  pulse is introduced in the middle of the  $\tau'$  period instead of delay to the  $H-H$  magnetization between two rotors. The sequence is depicted in Fig. 3b. In using the  $\tau'$  delays, the  $H$  SQCs evolve under the effect of couplings  $|T_{1,H}|$  and  $|T_{H,H}|$ . Thus during the two first  $\tau'/2$  delays, the  $H-H$  magnetization, anti-phase with respect to  $H-H$  coupling, is converted to  $H$  magnetization, in phase with respect to  $H-H$  coupling. In using the two last  $\tau'/2$  delays, the previous evolution is reversed. The two pairs of simultaneous  $H$  and  $H$   $180^\circ$  pulses in the sequence reverse the rotational shifts without affecting the overall deuterium couplings.

After a four-step phase cycle, the analytical expression of CP signals is formally identical to Eq. (1) but  $f_{corr}(\tau, \tau')$  differs from that obtained in the “ $1_H 1_L$ ” case. Thus, in the case of a spin system of the form “ $1_H 1_L 1_H 1_L$ ” with  $H-H$  and  $H-L$  as weakly coupled,  $f_{corr}(\tau, \tau')$  is equal to:

$$f_{corr}(\tau, \tau') = (\sin^2 \alpha)^2 \times \left\{ \begin{array}{l} \sin[\pi T_{1,H} \tau] \cos^{-1}[\pi T_{1,H} \tau'] \\ \times \sin[2\pi T_{1,H} \tau'] \cos^{-1}[3\pi D_{H,H} \tau'] \\ \times \sin[\pi T_{H,H} \tau'] \cos^{-1}[\pi T_{H,H} \tau'] \\ \times \sin[2\pi T_{1,H} \tau'] \cos^{-1}[3\pi D_{H,H} \tau'] \\ \times \sin[\pi T_{H,H} \tau'] \cos^{-1}[\pi T_{H,H} \tau'] \\ \times \sin[\pi T_{1,H} \tau] \cos^{-1}[\pi T_{1,H} \tau] \end{array} \right\} \quad (7)$$

In Eq. (7), the relaxation terms have been disregarded, but in the general case, we can show that  $f_{corr}(\tau, \tau')$  is weighted by a  $\exp(-\tau/T_2^H) \exp(-\tau'/T_2^H) \exp(-\tau'/T_2^H) \exp(-\tau/T_2^H)$  factors. Hence again, the optimal  $\tau$  delay is determined on the  $T_2$  values, and thus will be generally shifted compared to the ideal value to minimize losses due to  $T_2$  relaxation.

For illustration, compound 3 can be used as an interesting example since the coupling between  $H^7$  and  $H^5$  is not null (see above). Under this condition, it is possible to generate a correlation between deuterons  $I^2$  and  $I^6$  through  $H^7$  and  $H^5$ . However in this case, an additional term of

the form,  $[1 + 2 \cos(2\pi^4 T_{1,44,7} \tau)]/3$  must be included in  $f_{corr}$ , since the  $H$  SQCs of the  $I^2$  and  $I^6$  also evolve under the effect of the coupling with  $I^4$  (see above).

Using deuterium and rotor rotations associated with compound 3,  $f_{corr}(\tau, \tau')$  becomes:

$$f_{corr}(\tau, \tau') = 9 \times \left\{ \begin{array}{l} \sin[\pi^4 T_{1,44,7} \tau] \cos^2[\pi^4 T_{1,44,7} \tau'] \\ \times \sin[2\pi^4 T_{1,44,7} \tau'] [1 + 2 \cos(2\pi^4 T_{1,44,7} \tau')]/3 \\ \times \sin[\pi^5 T_{H,44,7} \tau'] \cos^2[3\pi^2 D_{H,44,7} \tau'] \\ \times \sin[2\pi^3 T_{1,44,5} \tau'] \sin[\pi^5 T_{H,44,7} \tau'] \cos^2[\pi^5 T_{H,44,7} \tau'] \\ \times \sin[\pi^3 T_{1,44,5} \tau] \end{array} \right\} \quad (8)$$

Fig. 5 shows the “ $1_H 1_L 1_H 1_L$ ” 2D spectra of 3 weak to moderate correlations between  $I^2$  and  $I^6$  were successfully observed. In this second example, the optimal  $\tau$  value is equal to 18.5 s, and results from a compromise between the theoretical ideal value and the shortest  $T_2$  values of deuterons ( $\approx 57$  s). From Eq. (8), the optimal  $\tau'$  value is 81.8 s.

Similarly to the “ $1_H 1_L$ ” 2D spectra shown in Fig. 4a, we might expect to see the spots and Aps associated with the passive deuterium,  $I^4$ , as well as Cps between  $I^4$  and  $I^6$ , but the choice of  $\tau$  and  $\tau'$  values leads to no visible peaks (even at very low level). Finally it could be noted that the central  $90^\circ$  pulse used for delay to the  $H-H$  magnetization can be replaced by a MLEV-type sequence followed with two  $\pi$  pulses that should be a desirable method to reduce the  $H$  magnetization through cross-polarization [16,17].

2.5. The “DHC” and “DHHC” correlation experiments

The “ $1_H 1_C$ ” or “ $1_H 1_L 1_C$ ” correlation 2D experiments can be very efficient to analyze the case of mixture 2. In deed, as described above, the carbonyl atoms, rotors 6 and 3, of meso compound in mixture 2 belong to the same or symmetry, and so can not show two separate sets of cross-peaks relative to the  $1/5$  and  $2/4$  carbonyl pairs. Conversely

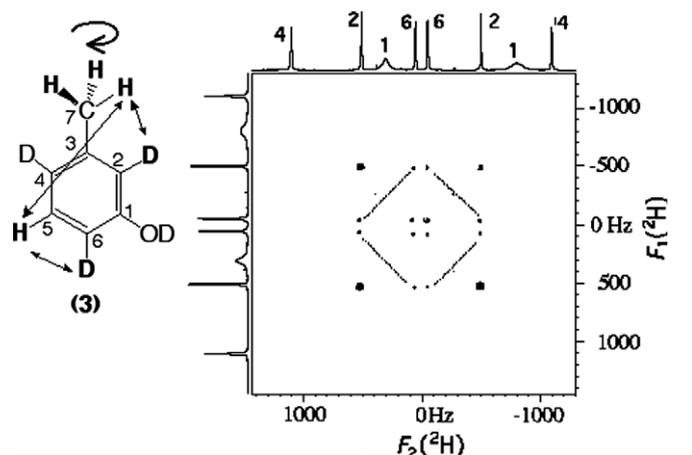


Fig. 5. Experimental 92.1 MHz “ $1_H 1_L 1_H 1_L$ ” 2D spectra of 3 the PBzG/CHCl<sub>3</sub> mixture at 300 K. The 2D matrix is 256 ( $t_1$ )  $\times$  1538 ( $t_2$ ) data points, with NS = 288. Experimental resolution (3 Hz) in  $F_2$  and  $F_1$  dimensions is used. The 2D spectra is symmetrized.

quidity, the big advantage of this particular spectral feature associated with the decoupling of mixture 2, we should be able to assign the diastereoisotopic  $H$  doublets in  $H$ / $^{13}C$  correlation s.

The “ $1_H C$ ” pulse sequence proposed here is shown in Fig. 6a and b. For such an experiment, the  $1_H$  and  $13_C$  do not exist, thus strongly reducing the effect of the  $1_H$  and  $13_C$  axes.

When the beginning of the sequence is similar to the “ $1_H C$ ” pulse sequence, the second heteronuclear INEPT transfer converts the  $H$  SQCs to an observable  $^{13}C$  magnetization during acquisition. The combination of three  $180^\circ$  pulses is introduced as shown in Fig. 6 (top and middle) allows the evolution of  $H$  SQCs under the effect of  $H-H$  and  $H-^{13}C$  couplings with the addition of the  $H$  chemical shift evolution with  $\tau_1 = \tau_2 + \tau_3$  [18]. In practice, the position of  $H$  and  $^{13}C$   $180^\circ$  pulses depends on the magnitude of  $|2T_{HH}|$  and  $|T_{CH}|$ . Fig. 6a and b represent the “ $1_H C$ ” sequence that must be used with  $|2T_{HH}| < |T_{CH}|$  and  $|2T_{HH}| > |T_{CH}|$ , respectively. As seen, the triggering order of  $^{13}C$  and  $H$   $180^\circ$  pulses in both sequences is strictly reversed. Finally, the evolution (or grouping of equivalent rotations) used as a delay is also coupled with other rotations, in the  $H$  magnetization evolves also under the effect of coupling,  $|T_{HH}|$  during  $\tau_1 + \tau_2 + \tau_3$ .

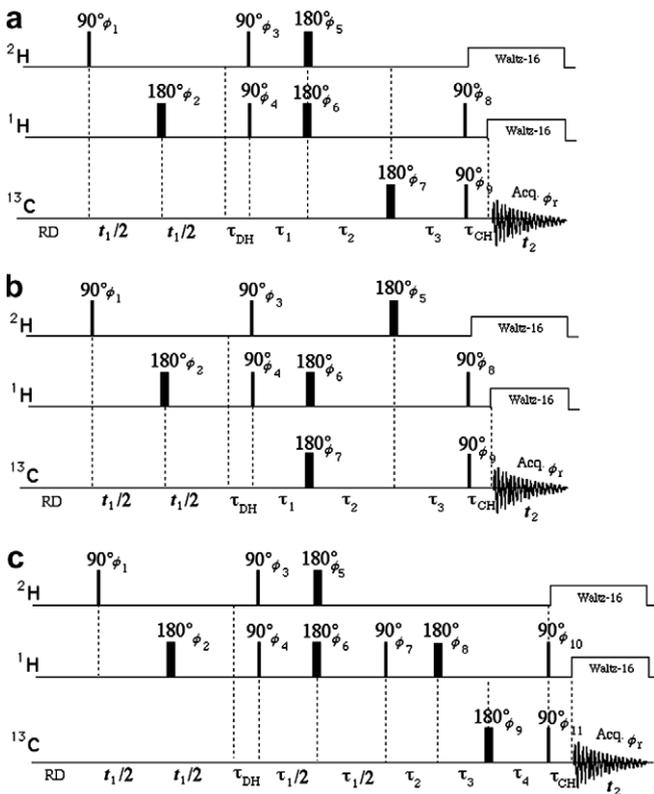


Fig. 6. Pulse sequence of the (a and b) “ $1_H C$ ” and (c) “ $1_H H C$ ” sequences using two INEPT-type transfers. Sequence a (b) is applied with  $|2T_{HH}| < |T_{CH}|$  ( $|2T_{HH}| > |T_{CH}|$ ). The basic two-step pulse cycle is: (a and b)  $\phi_1 = x, -x$ ;  $\phi_2$  to  $\phi_9 = x, x$ ;  $\phi_{10} = x, -x$ ; and (c)  $\phi_1 = x, -x$ ;  $\phi_2$  to  $\phi_{11} = x, x$ ;  $\phi_{12} = x, -x$ .

After a two-step pulse cycle and decoupling to the axial-rotation, the general form of the expression of the NMR signal is given by:

$$S(t_1, t_2) \propto \left\{ \begin{aligned} &\cos[(2\pi\nu_H + \pi\Delta\nu_Q)(t_1 + \tau_{1H})] \\ &+ \cos[(2\pi\nu_D - \pi\Delta\nu_Q)(t_1 + \tau_{1H})] \end{aligned} \right\} \times f_{\text{corr}}(\tau_{1H}, \tau_1, \tau_2, \tau_3, \tau_{CH}) \times \{e^{i2\pi\nu_C(\tau_{CH} + t_2)}\} \quad (9)$$

As previously,  $f_{\text{corr}}(\tau_{1H}, \tau_1, \tau_2, \tau_3, \tau_{CH})$  is the transfer function. For strongly rotating, we will denote the latter  $f_{\text{corr}}(\tau_{1H}, \tau_1, \tau_2, \tau_3, \tau_{CH})$  as  $f_{\text{corr}}(\tau)$ . For a “ $1_H H C$ ” system with  $H$  and  $^{13}C$  nuclei are weakly coupled, its analytical expression is:

$$f_{\text{corr}}(\tau) = \tau^2 \times \left\{ \begin{aligned} &\sin[\pi T_{HH} \tau_{1H}] \cos^{-1}[\pi T_{HH} \tau_{1H}] \\ &\times \sin[2\pi T_{HH} (\tau_1 \pm \tau_2 + \tau_3)] \\ &\times \sin[\pi T_{CH} (\tau_1 \mp \tau_2 + \tau_3)] \\ &\times \cos^{-1}[3\pi D_{HH} (\tau_1 + \tau_2 + \tau_3)] \\ &\times \prod \cos[\pi T_{HH} (\tau_1 + \tau_2 + \tau_3)] \\ &\times \sin[\pi T_{CH} \tau_{CH}] \cos^{-1}[\pi T_{CH} \tau_{CH}] \end{aligned} \right\} \quad (10)$$

with setting  $\tau_1 = \tau_2 + \tau_3$ . As seen in Eq. (10) (lines 2 and 3), the effective evolution periods due to couplings  $T_{HH}$  and  $T_{CH}$  are equal to  $(\tau_1 + \tau_2 + \tau_3)$  and  $(\tau_1 - \tau_2 + \tau_3)$ , for the first sequence, and  $(\tau_1 - \tau_2 + \tau_3)$  and  $(\tau_1 + \tau_2 + \tau_3)$  for the second one.

Assuming no  $H-H$  couplings, the  $f_{\text{corr}}(\tau)$  of the first “ $1_H C$ ” sequence is ideally maximized with  $\tau_{1H} = 1/|2T_{HH}|$ ,  $\tau_1 = 1/|8T_{HH}|$ ,  $\tau_2 = 1/|8T_{HH}| - 1/|4T_{CH}|$  if  $|2T_{HH}| < |T_{CH}|$ ,  $\tau_3 = 1/|4T_{CH}|$  and  $\tau_{CH} = 1/|2T_{CH}|$ . For the second “ $1_H C$ ” sequence,  $\tau_1 = 1/|4T_{CH}|$ ,  $\tau_2 = 1/|4T_{CH}| - 1/|8T_{HH}|$  and  $\tau_3 = 1/|8T_{HH}|$ . For a relaxation point of view,  $f_{\text{corr}}(\tau)$  depends on the following terms:  $\exp(-\tau_{1H}/T_2)$ ,  $\exp(-(\tau_1 + \tau_2 + \tau_3)/T_2)$ ,  $\exp(-\tau_{CH}/T_2)$  in both sequences. Considering the  $1/T_{ij}$  values to the  $H$ ,  $H$  and  $^{13}C$   $T_2$  relaxation values, it is clear that only the choice of  $\tau_{1H}$  can be affected by the  $T_2$  relaxation.

To illustrate the efficiency of the “ $1_H C$ ” sequence in oxidized media, we have analyzed the case of compounds 5 and 3. For 5, the “ $1_H C$ ” transfer involves a single rotation as a delay while for 3, the transfer indicates three equivalent rotations at the decoupled. For solute 5, the condition  $|2T_{HH}| (=10\text{Hz}) < |T_{CH}| (=208\text{Hz})$  is experimentally fulfilled, and so the first “ $1_H C$ ” pulse sequence (Fig. 6a) must be applied. Assuming that  $^{13}C$  is only coupled with rotation  $H^8$ , itself weakly coupled to  $H^7$ , the expression of  $f_{\text{corr}}(\tau)$  is:

$$f_{\text{corr}}(\tau) = \left\{ \begin{aligned} &\sin[\pi^4 T_{HH} \tau_{1H}] \\ &\times \sin[2\pi^4 T_{HH} (\tau_1 + \tau_2 + \tau_3)] \\ &\times \sin[\pi^4 T_{CH} (\tau_1 - \tau_2 + \tau_3)] \\ &\times \cos[\pi^3 T_{HH} (\tau_1 + \tau_2 + \tau_3)] \\ &\times \sin[\pi^4 T_{CH} \tau_{CH}] \end{aligned} \right\} \quad (11)$$

Fig. 7a are parts of the “ $^1\text{H}-^{13}\text{C}$ ” 2D spectra obtained for 5 with the evolution delays of the “ $^1\text{H}-^{13}\text{C}$ ” sequence are optimized for correlating deuterium  $^2\text{D}$  to carbon  $\text{C}^8$ . No other correlation is observed on the 2D spectra, mainly since the couplings between  $^1\text{H}$  and the axial and equatorial protons,  $\text{H}^2$ , of cyclohexane ring are null. It is exact, i.e., it is interesting to emphasize that the assignment of the  $^{13}\text{C}$  peaks around 128.5 ppm is not trivial using the additivity rules of substituents of the steric, and contradictory assignments for carbon atoms,  $\text{C}^5$  and  $\text{C}^8$ , can be found using NMR data bases or prediction softwares such as ACD/PC. The results obtained here allow to assign unambiguously the carbon signal  $\text{C}^8$  on the aromatic group. This assignment has been corroborated by recording the NMR EQUATE 2D spectra of 5 in isotopic base [19].

For compound 3 dissolved in the  $\text{PCl}_5/\text{CH}_2\text{Cl}_2$  (see Table 1), we find  $|2T_{\text{H}^1\text{H}^2}| (=60\text{Hz}) > |T_{\text{C}^1\text{H}^1}| (=32\text{Hz})$ , and in the second “ $^1\text{H}-^{13}\text{C}$ ” pulse sequence must be applied. In the expression of the NMR signals of the 2D spectra is

identical to Eq. (9), the transfer function is further modulated by the evolution in the effect of the effective coupling between  $^1\text{H}$  and  $^1\text{H}$  nuclei during the effective periods  $\tau_1 - \tau_2 + \tau_3$ . Thus we have:

$$f_{\text{corr}}(\tau_i) = 9 \times \left\{ \begin{aligned} & \sin[\pi^4 T_{\text{H}^1\text{H}^2} \tau_{\text{H}^1\text{H}^2}] \cos^2[\pi^4 T_{\text{H}^1\text{H}^2} \tau_{\text{H}^1\text{H}^2}] \\ & \times \sin[2\pi^4 T_{\text{H}^1\text{H}^2} (\tau_1 - \tau_2 + \tau_3)] \\ & \times (1 + 2 \cos[2\pi^4 T_{\text{H}^1\text{H}^2} (\tau_1 - \tau_2 + \tau_3)]) / 3 \\ & \times \cos^2[3\pi^2 D_{\text{H}^1\text{H}^2} (\tau_1 + \tau_2 + \tau_3)] \\ & \times \cos[\pi^5 T_{\text{H}^1\text{H}^2} (\tau_1 + \tau_2 + \tau_3)] \\ & \times \sin[\pi^1 T_{\text{C}^1\text{H}^1} (\tau_1 + \tau_2 + \tau_3)] \\ & \times \sin[\pi^1 T_{\text{C}^1\text{H}^1} \tau_{\text{C}^1\text{H}^1}] \cos^2[\pi^1 T_{\text{C}^1\text{H}^1} \tau_{\text{C}^1\text{H}^1}] \end{aligned} \right\} \quad (12)$$

The “ $^1\text{H}-^{13}\text{C}$ ” 2D spectra obtained for 3 with the evolution delays of “ $^1\text{H}-^{13}\text{C}$ ” sequence are optimized for correlating deuterium  $^2\text{D}$  to carbon  $\text{C}^7$  is shown in Fig. 7b. Experimentally, no other correlation was observed. Note that the deuterium isotopic assignment modifies the solute isotopation, and leads to the vertical quadrupole doublets associated with deuterium  $^2\text{D}$  and  $^1\text{H}$  coupled with spectra shown in Figs. 4a and 5.

A possible extension of the “ $^1\text{H}-^{13}\text{C}$ ” experiment consists of the introduction of a  $90^\circ$  pulse at the end of the evolution delay of  $^1\text{H}-^{13}\text{C}$  coupling (see Fig. 6c). Thus it becomes possible to transfer magnetization to avoid other carbon atoms through a pair of coupled protons. As in the case of the “ $^1\text{H}-^{13}\text{C}$ ” sequence, the ideal values for  $\tau_{\text{H}^1\text{H}^2}$  and  $\tau_{\text{C}^1\text{H}^1}$  are equal to  $1/|2T_{\text{H}^1\text{H}^2}|$  and  $1/|2T_{\text{C}^1\text{H}^1}|$ . Using the  $\tau_1$  delay, the  $^1\text{H}$  SQCs evolve in the effect of couplings,  $T_{\text{H}^1\text{H}^2}$  and  $T_{\text{C}^1\text{H}^1}$ , in the evolution of these correlations in the effect of couplings,  $T_{\text{C}^1\text{H}^1}$  and  $T_{\text{H}^1\text{H}^2}$ , proceeds for the effective periods  $\tau_2 - \tau_3 + \tau_4$  and  $\tau_2 + \tau_3 + \tau_4$ , respectively.

The expression of the NMR signals of the “ $^1\text{H}-^{13}\text{C}$ ” correlation experiment is identical to Eq. (9). However the transfer function differs from that associated with the “ $^1\text{H}-^{13}\text{C}$ ” experiment. For a “ $^1\text{H}-^{13}\text{C}$ ” system, where the equivalent protons are weakly coupled, the analytical expression of  $f_{\text{corr}}(\tau_i, \tau_1, \tau_2, \tau_3, \tau_4, \tau_{\text{C}^1\text{H}^1})$  (noted as  $f_{\text{corr}}(\tau_i)$ ) is:

$$f_{\text{corr}}(\tau_i) = \left( \begin{aligned} & \sin[\pi T_{\text{H}^1\text{H}^2} \tau_{\text{H}^1\text{H}^2}] \cos^{-1}[\pi T_{\text{H}^1\text{H}^2} \tau_{\text{H}^1\text{H}^2}] \\ & \times \sin[2\pi T_{\text{H}^1\text{H}^2} \tau_1] \cos^{-1}[3\pi D_{\text{H}^1\text{H}^2} \tau_1] \\ & \times \sin[\pi T_{\text{H}^1\text{H}^2} \tau_1] \cos^{-1}[\pi T_{\text{H}^1\text{H}^2} \tau_1] \\ & \times \sin[\pi T_{\text{C}^1\text{H}^1} (\tau_2 - \tau_3 + \tau_4)] \\ & \times \cos^{-1}[3\pi D_{\text{H}^1\text{H}^2} (\tau_2 + \tau_3 + \tau_4)] \\ & \times \sin[\pi T_{\text{H}^1\text{H}^2} (\tau_2 + \tau_3 + \tau_4)] \\ & \times \cos^{-1}[\pi T_{\text{H}^1\text{H}^2} (\tau_2 + \tau_3 + \tau_4)] \\ & \times \sin[\pi T_{\text{C}^1\text{H}^1} \tau_{\text{C}^1\text{H}^1}] \cos^{-1}[\pi T_{\text{C}^1\text{H}^1} \tau_{\text{C}^1\text{H}^1}] \end{aligned} \right)^2 \quad (13)$$

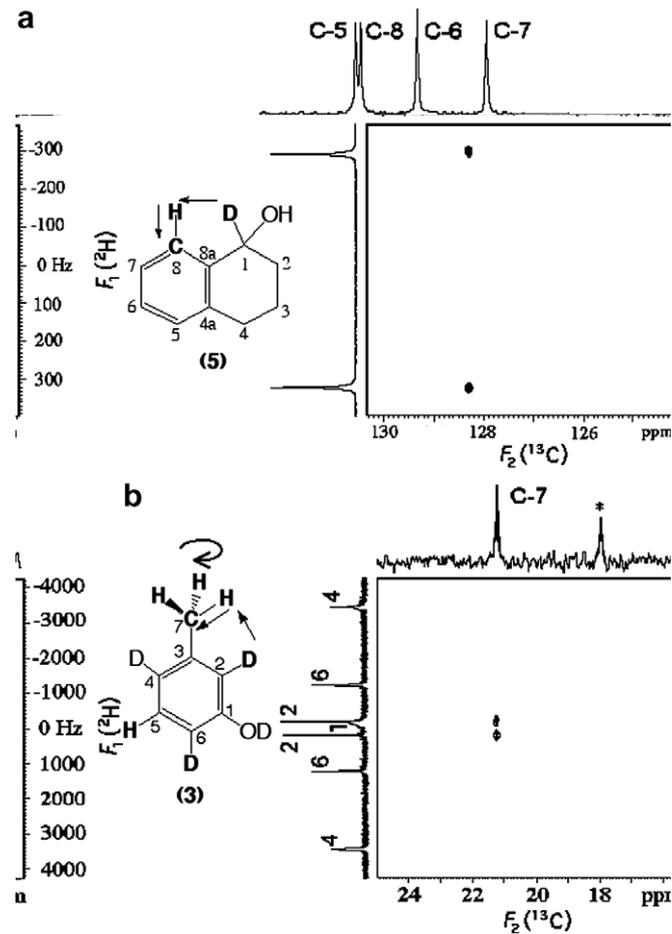


Fig. 7. Experimental 100.6 MHz “ $^1\text{H}-^{13}\text{C}$ ” 2D spectra of 5 (a) and 3 (b) recorded in  $\text{PCl}_5/\text{CH}_2\text{Cl}_2$  and  $\text{PCl}_5/\text{CH}_2\text{Cl}_2$  at 300 K. The 2D data is  $128 (t_1) \times 2048 (t_2)$  data points, with  $\text{NS} = 1024$  for (a) and (b). The delays  $\tau_{\text{H}^1\text{H}^2}$ ,  $\tau_1$ ,  $\tau_2$ ,  $\tau_3$  and  $\tau_{\text{C}^1\text{H}^1}$  are equal to 56.5, 14.0, 12.8, 1.2 and 2.27 s for (a) and 2.5, 8.2, 6.4, 1.8 and 6.27 s for (b). The peaks are labeled with asterisks corresponding to the  $^{13}\text{C}$  signal of the ethyl group of ethanol used for stabilization of the solvent.

assuming that  $\tau_2 = \tau_3 + \tau_4$  leads to the evolution in the effect of couplings. In the simple case where  $m = n = 1$ , the ideal values for the evolution periods,  $\tau_2$ ,  $\tau_3$  and  $\tau_4$  are:  $\tau_2 = 1/|4T_{\text{H}^1\text{H}^2}|$ ,  $\tau_3 = 1/|4T_{\text{H}^1\text{H}^2}| - 1/|4T_{\text{C}^1\text{H}^1}|$  and

$T_{CH} < T_{CH}$  and  $\tau_4 = 1/|4T_{CH}|$ . The ideal value of delay  $\tau_1$  results in a subtle correlation between the defocusing of  $H^7$  magnetization with the  $T_{CH}$  coupling and its refocusing with  $T_{CH}$  coupling. Mathematically, this value corresponds to the relaxation of the evolution constituted by the four terms depending on  $\tau_1$  in Eq. (13).

From a relaxation point of view, we can show that  $f_{corr}(\tau_1)$  depends on the following terms:

$$\begin{aligned} & \exp\left(-\tau_{1H}/T_2^H\right) \exp\left(-\tau_1/T_2^H\right) \\ & \exp\left(-(\tau_2 + \tau_3 + \tau_4)/T_2^H\right) \exp\left(-\tau_{CH}/T_2^C\right) \end{aligned} \quad (14)$$

As previously, the  $T_2$  relaxation will only affect the optimal value of  $\tau_{1H}$ .

This kind of analysis has been tested on compound 5 where the  $H^7-H^8$  ortho coupling is strong ( $\approx 33$  Hz). Assuming that  $H^7$  is also coupled with  $H^6$ , the analysis function,  $f_{corr}(\tau_1)$ , is equal to:

$$f_{corr}(\tau_1) = \left\{ \begin{aligned} & \sin[\pi^4 T_{1H^8} \tau_1] \\ & \times \sin[2\pi^4 T_{1H^8} \tau_1] \sin[\pi^3 T_{H^7H^8} \tau_1] \\ & \times \sin[\pi^3 T_{H^7H^8} (\tau_2 + \tau_3 + \tau_4)] \\ & \times \sin[\pi^1 T_{CH^7} (\tau_2 - \tau_3 + \tau_4)] \\ & \times \cos[\pi^3 T_{H^7H^8} (\tau_2 + \tau_3 + \tau_4)] \\ & \times \sin[\pi^1 T_{CH^7} \tau_{CH}] \end{aligned} \right\} \quad (15)$$

Fig. 8 shows the  $^1H-^{13}C$  2D correlation experiment obtained for 5 in the  $^1H$ -BIRD/CPMG sequence. As expected, only the correlation between  $H^1$  and  $C^7$  is observed which allows an easy assignment of  $^{13}C$  signals for carbon 7. The result has been also confirmed using the analysis of the 1D  $^1H$ -EQUATE experiment.

As in the case of  $^1H$ -BIRD,  $^1H$  evolution with  $\tau > 2$ , the  $90^\circ$  pulse used for  $^1H$  delay could be replaced by a MLEV-17 sequence realized with two  $^1H$  pulses for efficient  $^1H$  gate recycle delay.

### 2.6. Applications to a mixture of deuterated unlikely stereoisomers

The initial goal of this work was to experimentally separate and assign the  $^1H$  signals of meso compounds and diastereoisomers 1 and 2 isolated in a diastereoisomeric mixture. Experimentally, we have tested various solvents made of PBG or CBIs dissolved in organic solvents such as  $CH_2Cl_2$  or DMF. For almost all of the solvents, we have obtained four separated quadrupole doublets. The NMR sample composition providing the best spectral discrimination for diastereoisomers 1 and 2 is listed in Table 1. Unfortunately, even varying the composition (in wt%) of the diastereoisomers of the sample, we were not able to detect  $^1H$ - $^1H$  couplings for the meso isomer and diastereoisomer 1 or diastereoisomer 2. The main reason for the unsuccessful results are both the long distance between  $^1H$  nuclei in meso molecules and the fast rotation of the lateral groups around the  $s_2-s_3$  single bonds.

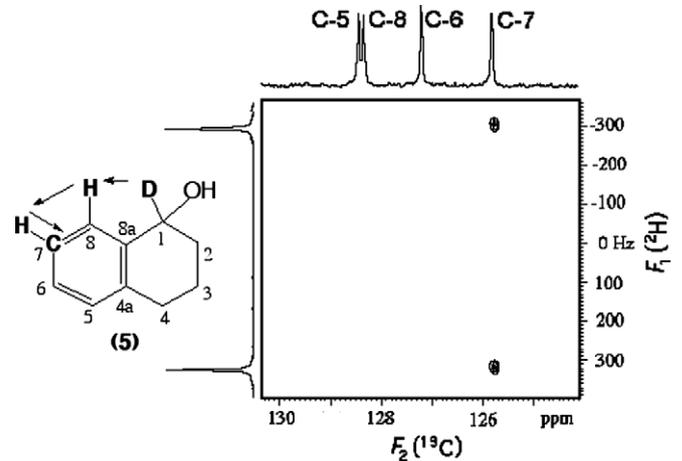


Fig. 8. Experimental 100.6 MHz  $^1H-^{13}C$  2D correlation of 5 in the BIRD/CPMG sequence at 300 K. The data set is  $100(t_1) \times 2048(t_2)$  data points with  $NS = 1024$ . The delays  $\tau_{1H}$ ,  $\tau_1$ ,  $\tau_2$ ,  $\tau_3$ ,  $\tau_4$  and  $\tau_{CH}$ , are equal 56.5, 17.0, 3.5, 0, 3.5 and 7.0 s, respectively.

The successful experimental results are an illustration of the power of the 2D correlation simulation using NMR SIM 4.3 software to evaluate the ability of  $^1H$  sequences to assign the diastereoisomers of a mixture of unlikely stereoisomers.

To provide an illustrative example of the  $^1H-^{13}C$  2D sequence that could be experimentally obtained under ideal conditions, Fig. 9 presents the simulated  $^1H-^{13}C$  2D analysis of a mixture of diastereoisomers 1 and 2. The chemical structure of the meso isomer is shown in Fig. 9. The two doublets of the meso compound were arbitrarily chosen as being the two external ones of the  $^1H$  1D spectrum. In this case, the two quadrupole doublets correlated to the same  $^{13}C$  peak belong to the meso (each labeled by open and solid squares on the 2D map).

Experimentally, only two  $^{13}C$  signals (122.0 and 122.2 ppm) were observed for  $C^6$  due to the overlap of  $^{13}C$  peaks of the unlike and of the like isomers. Consequently, it would not be possible to assign directly the signals from the analysis of the  $^1H-^{13}C$  2D map as in Fig. 9. To this end, we would have to record the  $^1H$  spectrum of the mixture 2 in an additional solvent, noted CBIs (or PBG) made by adding equal amount of CBIs (or PBG) and CBIs (or PBG), its diastereoisomer [6]. In this additional edition, any spectral diastereoisomer is created, and the chemical shift of the quadrupole doublets of the  $^{13}C$  chemical shift values measured in this edition corresponds to the algebraic average of values measured in the diastereoisomeric mixture. Collapsing of the  $^{13}C$  signals belonging to the RR and SS compounds would result and so we would obtain a 2D map with two  $^1H$  doublets in the  $F_1$  dimension, one for the meso and one for the RR/SS isomers ( $|\Delta\nu_Q^{RR,SS}| = 87$  Hz /  $|\Delta\nu_Q^{meso}| = 342$  Hz), would be correlated with two  $^{13}C$  peaks of equal intensity in the  $F_2$  dimension. The magnitude of  $\Delta\nu_Q$  measured in the additional solvent would allow the assignment of the two doublets belonging to the meso derivative and RR/SS isomers.

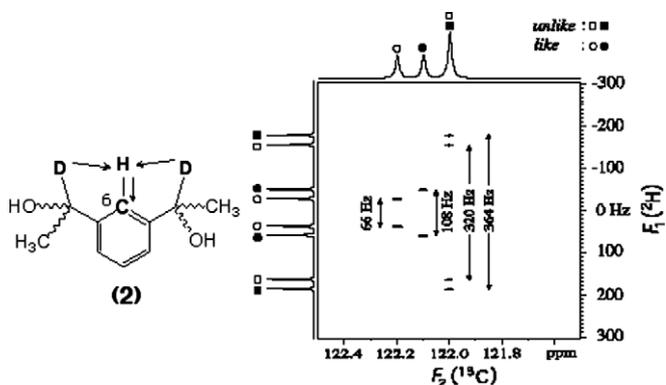


Fig. 9. Simulated 100.3 MHz  $^{13}\text{C}$  NMR spectrum of isotax 2 dissolved in a diethyl ether/methanol  $^{13}\text{C}$  signals (axial carbons 6) for each stereoisomer are spectroscopically distinguished. Quadrupolar splittings and  $^{13}\text{C}$  chemical shifts used for the simulation are similar to the values measured in the  $^1\text{H}$ - $^{13}\text{C}$  and  $^{13}\text{C}$ - $^1\text{H}$  NMR spectra of isotax 2 dissolved in the  $\text{CDCl}_3/\text{CH}_2\text{Cl}_2$  phase at 317 K. The relaxation times  $\tau_1$ ,  $\tau_2$ ,  $\tau_3$  and  $\tau_4$  are equal to 250, 36.5, 35.3, 1.2 and 2.47 s (i.e.  $|T_{\text{CH}}| = 208 \text{ Hz}$ ). The sign of quadrupolar splittings for the *meso* carbons and diastereoisomers are assumed to be the same (positive or negative).

### 3. Conclusions

This methodological work describes several 2D NMR strategies dedicated to the analysis of  $^1\text{H}$  spectra of all isotax of deuterated *u/l* isotactic copolymers using weakly deuterated solvents. We have designed various 2D experiments such as the  $^1\text{H}$ - $^1\text{H}$  or  $^1\text{H}$ - $^{13}\text{C}$  correlation experiments (with  $n = 1, 2$ ) towards this goal. Series of experiments on model copolymers have demonstrated the efficiency of the various sequences proposed. Several initial attempts were experimentally rejected. These new 2D pulse sequences are based on INEPT-type polarization transfers, but LEPT-type schemes should also induce efficient isotactic transfers. We are currently engaged to explore such an alternative.

All the possible variations of the sequences proposed here could consist in the changing  $^1\text{H}$ - $^1\text{H}$  scaling couplings or reducing the magnitude of  $^1\text{H}$ - $^1\text{H}$  couplings between the  $^1\text{H}$  (s) used as relay and other  $^1\text{H}$  (s) in the molecule or to reduce the dispersion of  $^1\text{H}$  magnetization through useless  $^1\text{H}$  (s). This could be achieved by introducing suitable pulse isotactic decoupling sequences such as "FF-16" or "BLEW-48" sequences. The effects will be  $^1\text{H}$  magnetization evolves under the effect of  $^1\text{H}$ - $^1\text{H}$  couplings between the  $^1\text{H}$  (s) used as relay and other  $^1\text{H}$  (s) in the molecule [20–23].

### 4. Experimental

#### 4.1. Synthesis of compounds

The synthesis of isotaxes 1 and 2 can be found in Ref. [6], while compound 3 is commercially available from Isotec Company.

The 2,4,6-trideuterio-3 $\beta$ -ethylideneol, 4, was prepared using the following procedure. The 3 $\beta$ -ethylideneol was selectively deuterated to 2,4,6-trideuterio-3 $\beta$ -ethylideneol by repeated exchange to 10%  $\text{D}_2\text{O}$  in  $\text{CDCl}_3$  for 10 h. After evaporation of the  $\text{D}_2\text{O}$  the residue was dissolved in ether and the ethylideneoxy-group was back exchanged by extraction with  $\text{H}_2\text{O}$ , the ether phase was dried, the solvent evaporated and the deuterated compound was distilled under reduced pressure in a bulb-tube. The degree of deuteration was checked by NMR in  $\text{CDCl}_3/\text{TMS}$  and was found better than 96%. Compound 5 was prepared similarly starting with the asymmetric reduction method developed by Moser et al. [24].

The description of NMR sample preparation can be found in Ref. [2,3]. Exact composition of each sample is given in Table 1.

#### 4.2. NMR spectroscopy

The 2D experiments were performed on Bruker Avance 500 MHz resolution spectrometers at 14.1 T and 9.4 T. The first dimension is equipped with a 5 $\mu\text{m}$  selective  $^1\text{H}$  cryogenic probe. The second dimension is equipped with a 5 $\mu\text{m}$  four-channel probe (QNP). This probe allows to detect  $^1\text{H}$  and  $^{13}\text{C}$  of the deuterated isotactic (outer coil), but the  $^1\text{H}$  isotactic (inner) of any probes (dual or broadband) can be used to acquire such experiments [9]. The relaxation of the sample was controlled by the standard variable temperature unit of the spectrometer and the experiments were performed without sample spinning. All 2D experiments were zero-filled to  $1k(t_1) \times 2k(t_2)$  data points for the double Fourier transformation. For all sequences, the full phase cycling is obtained by applying the CYCLOPS procedure to the basic phase cycling given in Figure caption, and the quadrature detection in the  $F_1$  dimension uses the TPPI method. All experiments were performed to a NMR signal modulated in phase due to the evolution under the effect of quadrupolar splittings during some of the evolution decoupling periods in the sequences. Hence, 2D contours plots have to be displayed in magnitude mode. In 2D  $^1\text{H}$   $^1\text{H}$  projections were oriented correspond to the respective 1D spectra. Other experimental NMR parameters details are given in the Figure caption.

The simulated  $^1\text{H}$ - $^{13}\text{C}$  spectrum was calculated using NMR SIM (4.3) program included in the TOPSPIN software (1.3) developed by Bruker Biospin. The 2D matrix was made of  $512(t_1) \times 1024(t_2)$  data points with  $\text{NS} = 8$ . The zero-filled grid fitting window was applied prior to the double FT.

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